

# Manipulation of EMMA field maps in view of ray-tracing simulations and parameter matching

## INTRODUCTION (1/3)

- (i) Magnet computations have been undertaken regarding the EMMA FD cell, in view of comparisons with field measurements and of producing field maps that can be exploited for ray-tracing purposes
- (ii) Field maps exploitable for multi-turn tracking may also be produced from magnetic field measurements (see RACCAM case, PAC09, copy in Appendix)
- (iii) Field maps probably yield modelling of the magnetic field closest to magnetic measurements
- (iv) Ray-tracing, using field models or field maps, is an excellent way of guaranteeing precision of motion simulation, 4-D and 6-D (see report CEA-DAPNIA-06-04, FM, 2004)
- (v) Allowing parameter matching based on EMMA field maps would constitute a good tool to assess machine behavior during commissioning

## INTRODUCTION (2/3)

Various arrangements of the F and D quads can be foreseen in generating these field maps, namely,

- Case 1 : a single map with the two quadrupoles in a particular state of field ( $b_f, b_d$ ) and a particular radial positioning, ( $x_f, x_d$ )
- Case 2 : a pair of maps, one with D on and F off (yet present), and its reciprocal. Each map can then have its field adjusted independently of the other (assuming linear behavior or close enough), the quad distance ( $x_d - x_f$ ) is fixed
- Case 3 : a set of pairs of maps of the previous type, each map pair being characterized by a particular quad distance ( $x_d - x_f$ )
- Case 4 : two separate maps, one for D alone and one for F alone. All four parameters  $b_f, b_d, x_f, x_d$  are then independent

## **INTRODUCTION (3/3)**

A dedicated procedure has been installed in zgoubi to manipulate these field maps, including the use of the built-in FIT procedure for parameter matching.

These slides describe how these various schemes are supposed to be exploited, using zgoubi, and which ones are convenient for matching purposes.

# Case 1 - A single map with the two quadrupoles in a particular state of field (bf, bd) and a particular quadrupole positioning, (xf, xd).

This is a trivial case. The **TOSCA** procedure in zgoubi can be used. It accepts Cartesian and cylindrical field maps.

- **The only variable parameter for FIT purposes is the positioning of the FD block wrt. to the edge of the 42-gone**

## Typical input data list :

Data generated by searchCO

'OBJET'

+5.171103865921708e+01

2

11 1

11 closed orbits (there are automatic procedures to find these)

-4.653497E+00	1.556203E+02	1.0E-04	0.0E+00	0.0E+00	6.77210000E-01	'0'	9.999932 MeV
-4.639023E+00	1.479999E+02	1.0E-04	0.0E+00	0.0E+00	7.41758920E-01	'0'	10.999526 MeV
-4.592894E+00	1.406840E+02	1.0E-04	0.0E+00	0.0E+00	8.06303420E-01	'0'	11.999224 MeV
-4.513897E+00	1.335804E+02	1.0E-04	0.0E+00	0.0E+00	8.70847920E-01	'0'	12.999057 MeV
-4.403899E+00	1.266558E+02	1.0E-04	0.0E+00	0.0E+00	9.35392420E-01	'0'	13.998997 MeV
-4.248912E+00	1.196375E+02	1.0E-04	0.0E+00	0.0E+00	9.99936920E-01	'0'	14.999023 MeV
-4.061093E+00	1.127955E+02	1.0E-04	0.0E+00	0.0E+00	1.06448140E+00	'0'	15.999118 MeV
-3.854773E+00	1.064118E+02	1.0E-04	0.0E+00	0.0E+00	1.12902590E+00	'0'	16.999273 MeV
-3.640940E+00	1.005393E+02	1.0E-04	0.0E+00	0.0E+00	1.19357040E+00	'0'	17.999476 MeV
-3.438999E+00	9.534234E+01	1.0E-04	0.0E+00	0.0E+00	1.25811490E+00	'0'	18.999720 MeV
-3.206953E+00	9.011384E+01	1.0E-04	0.0E+00	0.0E+00	1.32265940E+00	'0'	20.000000 MeV

1 1 1 1 1 1 1 1 1 1 1

'PICKUPS'

1

#E

'DRIFT' a correction to have 39.4481 axis length...

0.12405

'TOSCA'

0 2

-1E-3 1. 1. 1.

QPOLES

394 61 1 0 = MOD

Dax265.bothon.perio.table

0 0 0

2

.1

2 0 0

'DRIFT' a correction to have 39.4481 axis length...

0.12405

'CHANGREF'

0. 0. -8.57142857152

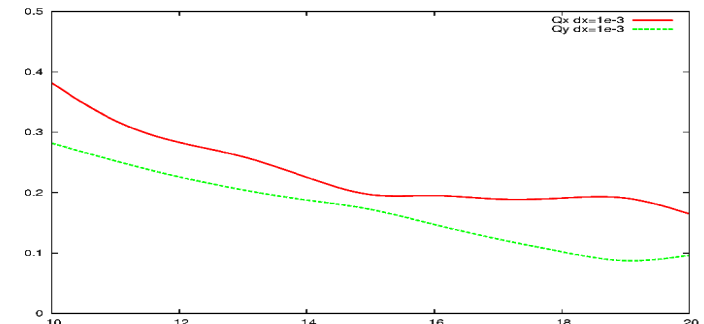
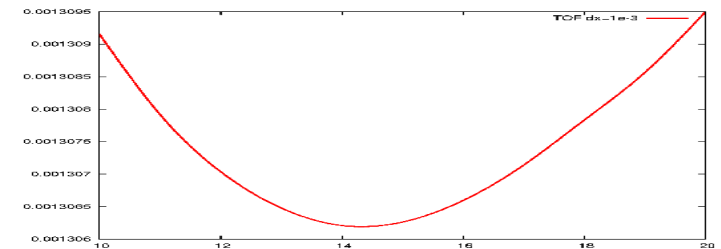
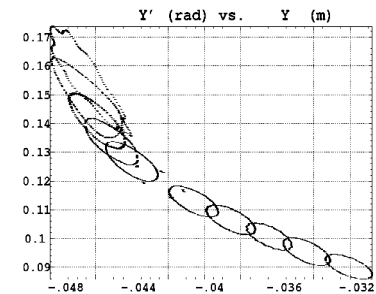
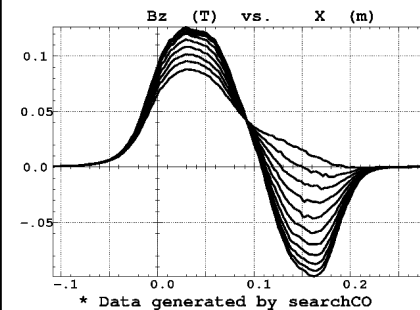
'MARKER' #E

'END'

mod=0 -> field map has cartesian mesh

Name of field map

## Typical output : B(s), (x,x'), TOF, tunes



**Case 2 - A pair of maps, one with D on and F off (yet present), and its reciprocal. Each map can then have its field adjusted independently of the other (assuming linear behavior or close enough), the quad distance (xd-xf) is fixed.**

**What the fortran does : a new, single map is obtained by adding the two.**

- **bf and bf are FIT-able**
- **Positioning of the FD block with resp. to the 42-gone edge is FIT-able**

The **EMMA** procedure can be used.

Typical input data list :

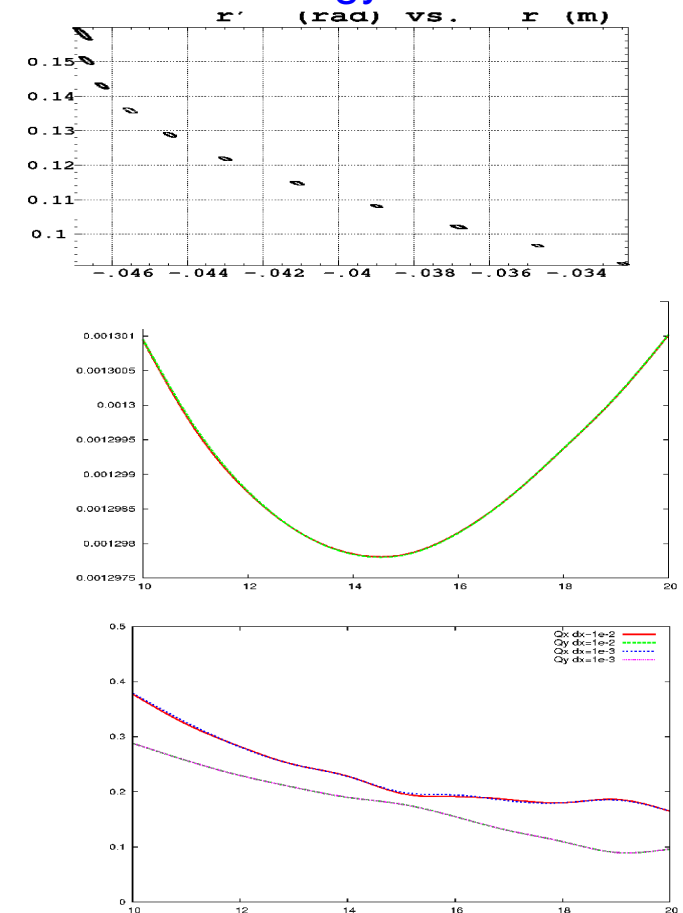
```

Data generated by searchCO
'OBJET'
+5.171103865921708e+01
2
11 1          11 closed orbits \(there are automatic procedures to find these\)
.....
1111111111111
'PICKUPS'
1
#E
'DRIFT' a correction to have 39.4481 axis length...
0.12405
'EMMA'
0 2
-1E-3 1. 1. 1.
QPOLES
197 81 1 0=MOD
1. 1. 0.
Dax265.Foff.cart.table
Dax265.Doff.cart.table
0 0 0 0
2
.1
2 0 0 0
'DRIFT' a correction to have 39.4481 axis length...
0.12405
'CHANGREF'
0. 0. -8.57142857152
'MARKER' #E
'END'

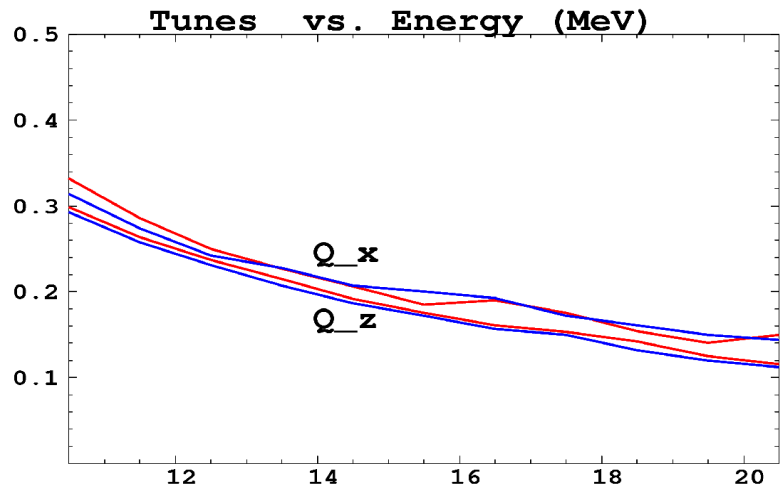
```

[mod=0 -> maps have caretsian mesh](#)  
[field coefficients bd, bf, xd-xf is unused](#)  
[Name of D-on / F-off field map](#)  
[Name of D-off / F-on field map](#)

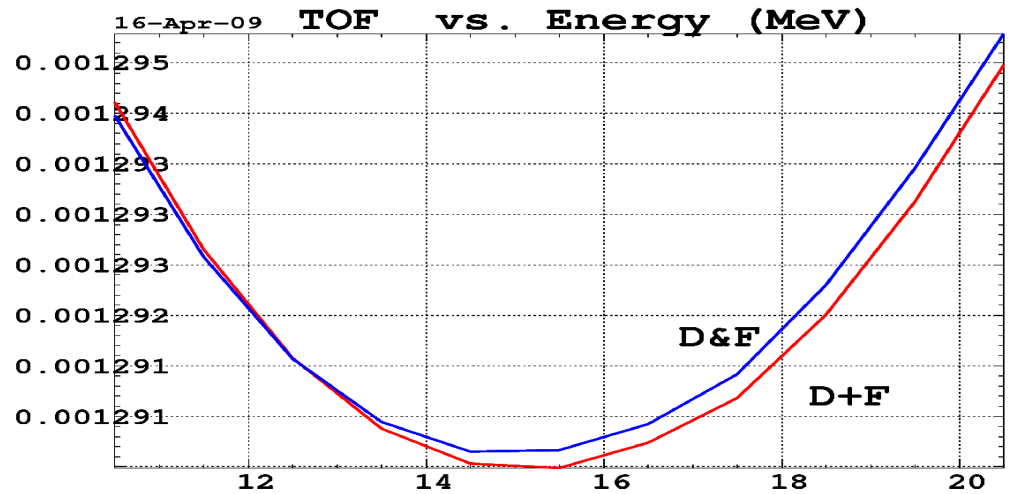
Typical output, (x,x'), TOF, tunes versus energy :



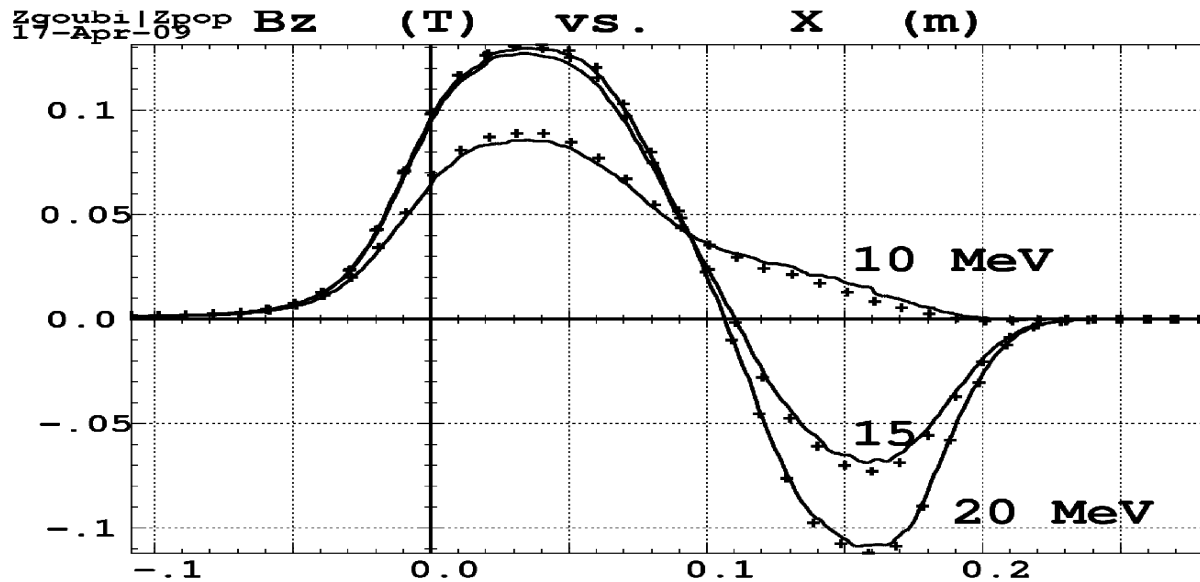
# Comparing results from Case 1 and from Case 2 (cf. PAC 09)



Tunes. D&F : blue, D+F : red.



TOF



Field along closed orbits. D&F : solid lines, D+F : markers.

**Case 3 - A set of pairs of field maps of the previous kind (Don/Foff, Doff/Fon), each pair being characterized by a particular radial quad distance (xd-xf).**

**What the fortran does : a new, single map is obtained by interpolation from 2 field map pairs that zgoubi chooses closest to the required (xd-xf).**

- **bf and bf are FIT-able, (xf-xd) is FIT-able**
- **Positioning of the FD block with resp. to the 42-gone edge can is FIT-able**

The **EMMA** procedure can be used.

Typical input data list :

```
Data generated by searchCO
'OBJET'
+5.171103865921708e+01
2
11 1
.....
1 1 1 1 1 1 1 1 1 1 1
'PICKUPS'
1
#E
'EMMA'
0 0
-1E-3 1. 1. 1.
HEADER_9 QPOLES
101 66 1 24 =MOD
1. 1. 2.62
tableFiles.list
0 0 0 0
2
.1
2
263.691210410209 0. 266.669690524164592 0.1495996501709425352
'FAISCEAU'
'MARKER' #E
'END'
```

11 closed orbits (there are automatic procedures to find these)

mod=24 -> maps have cylindrical mesh  
field coefficients bd, bf, required xd-xf= 2.62 cm here  
Name of data file that contains field map names

Typical content of tableFiles.list the map file names data file :

*Note : the field map file names indicate the (xf-xd) values*

Dax200.Doffpolargridcoarse2.table  
Dax200.Foffpolargridcoarse2.table  
Dax220.Doffpolargridcoarse2.table  
Dax220.Foffpolargridcoarse2.table  
Dax240.Doffpolargridcoarse2.table  
Dax240.Foffpolargridcoarse2.table  
Dax260.Doffpolargridcoarse2.table  
Dax260.Foffpolargridcoarse2.table  
Dax300.Doffpolargridcoarse2.table  
Dax300.Foffpolargridcoarse2.table  
Dax320.Doffpolargridcoarse2.table  
Dax320.Foffpolargridcoarse2.table  
Dax340.Doffpolargridcoarse2.table  
Dax340.Foffpolargridcoarse2.table  
Dax360.Doffpolargridcoarse2.table  
Dax360.Foffpolargridcoarse2.table  
Dax380.Doffpolargridcoarse2.table  
Dax380.Foffpolargridcoarse2.table  
Dax400.Doffpolargridcoarse2.table  
Dax400.Foffpolargridcoarse2.table  
Dax420.Doffpolargridcoarse2.table  
Dax420.Foffpolargridcoarse2.table

**Case 4 : two separate maps, one for D alone and one for F alone. All four parameters bf, bd, xf, xd are then independent.**

**What the fortran does : a new, single field map is computed from the two, using the 'CHAMK' second degree polynomial interpolation in zgoubi.**

- **bf, bd, xf, xd can be independent FIT variables**

The **EMMA** procedure can be used.

### Typical input data list :

Data generated by searchCO

'OBJET'

+5.171103865921708e+01

2

3 1 [3 closed orbits at 10, 15 and 20 MeV \(there are automatic procedures to find these\)](#)

-4.676687E+00 1.580061E+02 1.0E-04 0.0E+00 0.0E+00 6.77210000E-01 '0' 9.999932 MeV

-4.300450E+00 1.217784E+02 1.0E-04 0.0E+00 0.0E+00 9.99936920E-01 '0' 14.999023 MeV

-3.247665E+00 9.134009E+01 1.0E-04 0.0E+00 0.0E+00 1.32265940E+00 '0' 20.000000 MeV

1 1 1

'PICKUPS'

1

#E

'EMMA'

5

0 0

-1E-3 1. 1. 1.

HEADER\_9 QPOLES

101 66 1 1=MOD

1. 1. 0. 0.

Dax265.D.perio.table

Dax265.F.perio.table

0 0 0 0

2

.1

2 0. 0. 0.

'FAISCEAU'

6

'CHANGREF'

10.5 0. -8.571428571428571429

'MARKER' #E

'END'

[mod=1 -> maps have cartesian mesh](#)

[field coefficients bd, bf, required quad positions xd, xf](#)

[Name of D field map](#)

[Name of F field map](#)



## Using Case 4 ('EMMA' keyword with MOD=1) for FIT-ting TOF and tunes

- We start from closed orbit coordinates (in 'OBJET') corresponding to quad positioning  $x_f=+0.1\text{mm}$ ,  $x_d=-0.1\text{mm}$
- We then set  $x_f=x_d=0$  instead of  $\pm 0.1\text{mm}$  in 'EMMA' data.
- Then, leaving initial coordinates as sole variables in 'FIT', we request,
  - 3 closed orbits and
  - identical TOF for particles 1 (10 MeV) and 3 (20 MeV)
- The result is below : closed orbit coordinates of case  $x_f=x_d=0$  are recovered (compare with previous slide)

Xi2 = 4.71799E-03 Busy...

### STATUS OF VARIABLES (Iteration # 291)

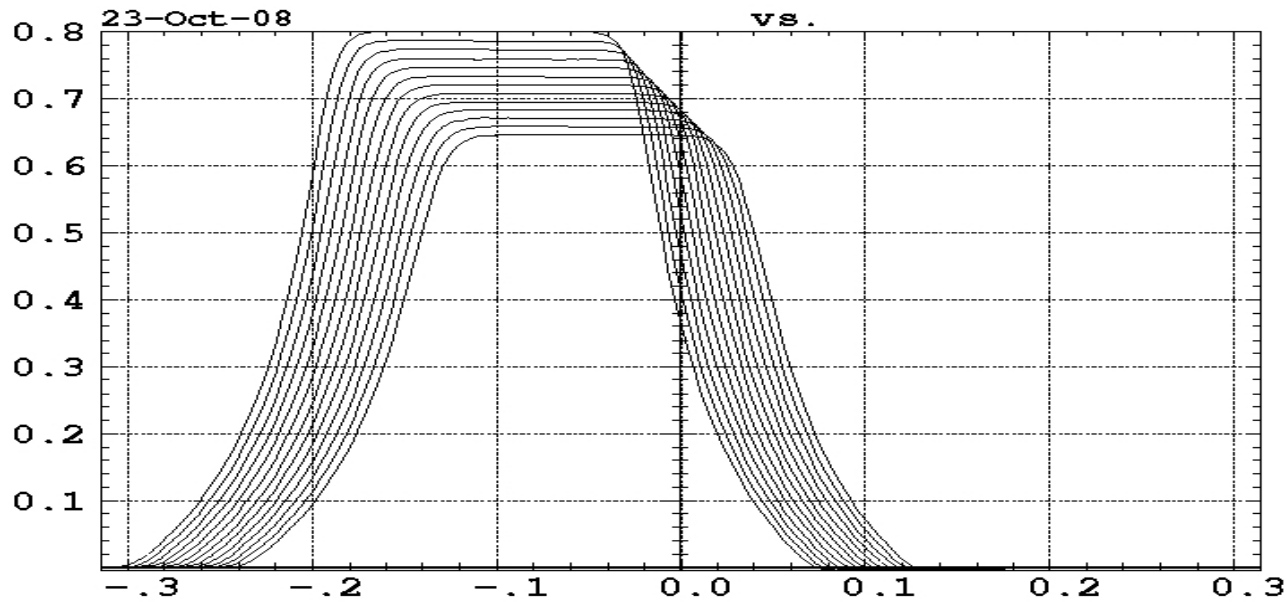
LMNT	VAR	PARAM	MINIMUM	INITIAL	FINAL	MAXIMUM	STEP
1	1	30	-9.92	-4.68	-4.6829422	0.00	1.990E-13
1	2	31	0.00	158.	158.27636	336.	6.617E-12
1	3	40	-9.47	-4.30	-4.3004498	0.00	1.902E-13
1	4	41	0.00	122.	121.77844	264.	5.196E-12
1	5	50	-7.43	-3.25	-3.2476651	0.00	1.500E-13
1	6	51	0.00	91.3	91.340088	199.	3.922E-12

### STATUS OF CONSTRAINTS

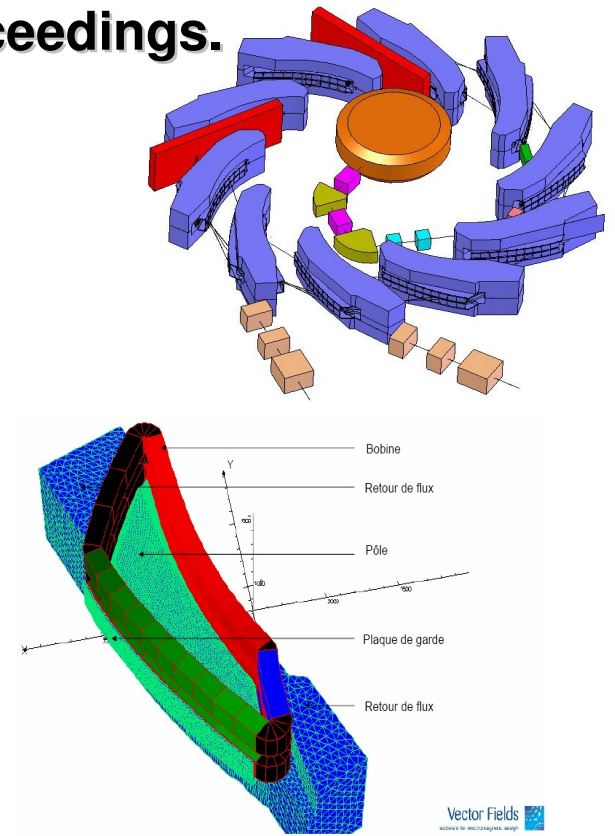
TYPE	I	J	LMNT#	DESIRED	WEIGHT	REACHED	KI2	* Parameter(s)
3	1	2	4	0.0000	0.1000	6.8568641E-03	0.9965	* 0 : x0(1)=xf(1)
3	1	3	4	0.0000	1.000	4.0410647E-03	3.4613E-03	* 0 : x'0(1)=x'f(1)
3	2	2	4	0.0000	0.1000	3.0801139E-10	2.0108E-15	* 0 : x0(1)=xf(2)
3	2	3	4	0.0000	1.000	3.2154901E-10	2.1915E-17	* 0 : x0(1)=x'f(2)
3	3	2	4	0.0000	0.1000	5.6997651E-10	6.8858E-15	* 0 : x0(1)=xf(3)
3	3	3	4	0.0000	1.000	1.0137029E-09	2.1780E-16	* 0 : x0(1)=x'f(3)
3	1	7	4	0.0000	1.000	4.9619763E-08	5.2186E-13	* 1 : 3. / TOF(1) = TOF(3)

*Note : two additional variables may be introduced : instead of setting  $x_f=x_d=0$  prior to launching the FIT,  $x_f$  and  $x_d$  can be left their last value (namely,  $x_f=-0.1\text{mm}$ ,  $x_d=+0.1\text{mm}$ ) and declared as variables. The FIT will then converge towards  $x_f=x_d=0$ .*

- RACCAM prototype magnet (1/3) tracking in the measured field maps → see PAC 09 Proceedings.
- Zero-th order



Magnetic field measured along 11 arcs,  $dR=11\text{mm}$  distant. That yields field map with 110mm radial extent, encompassing well the trajectories.



Vector Fields

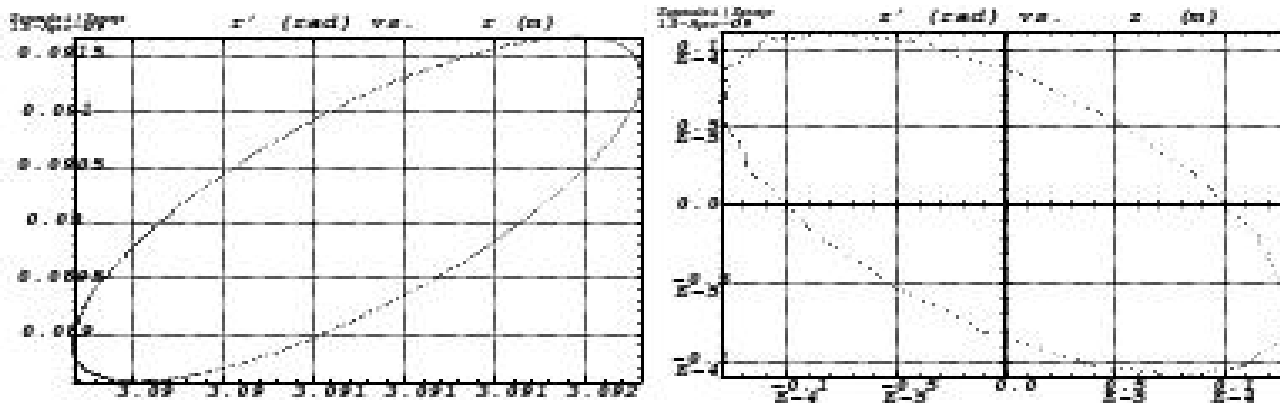
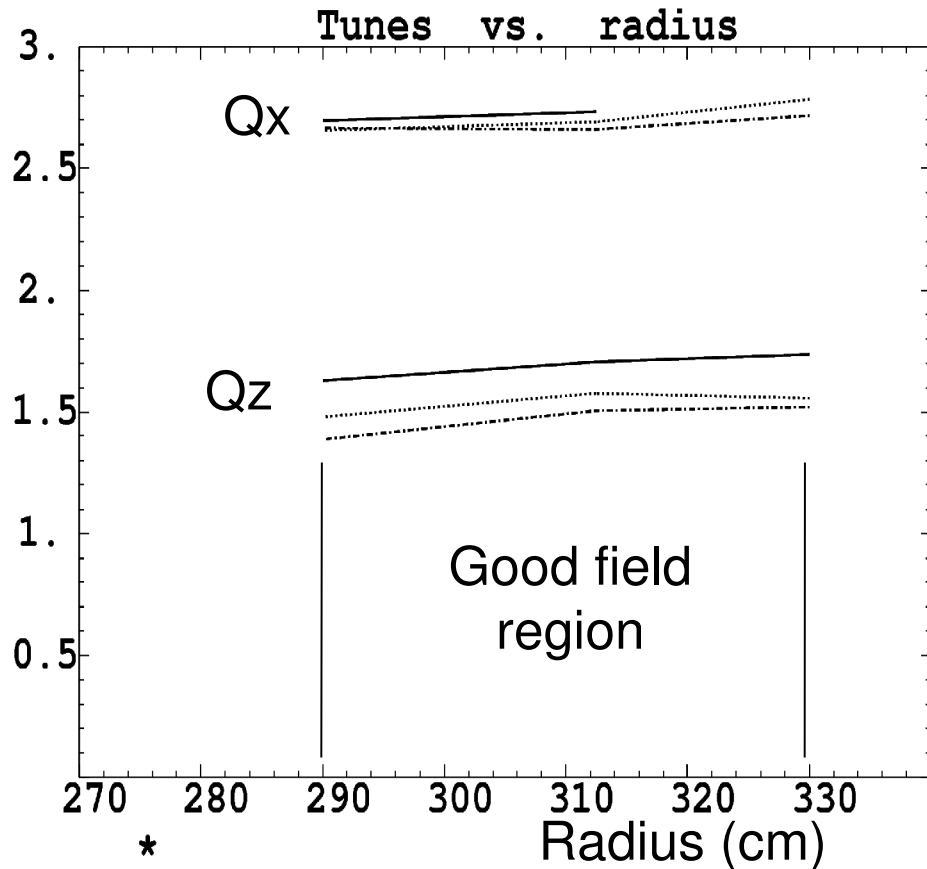


Figure 5: Typical paraxial motion used for tune computation, horizontal (left), vertical (right).

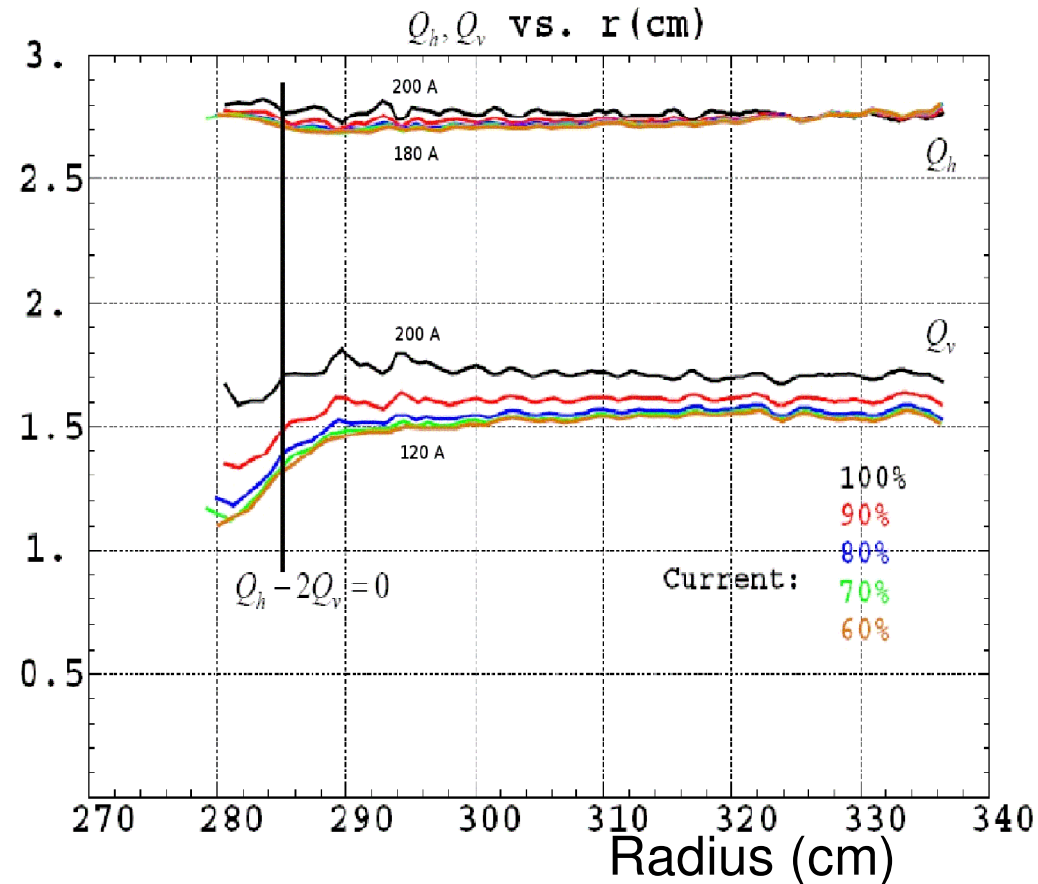


- RACCAM prototype magnet (2/3)
- Tracking in magnetic field maps, first order

- Tunes, from magnetic measurements (left) and from design simulations using TOSCA (right)



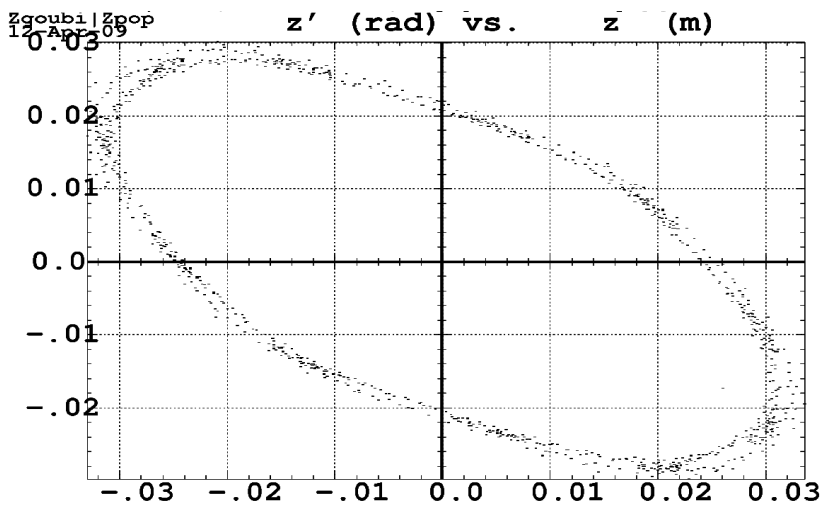
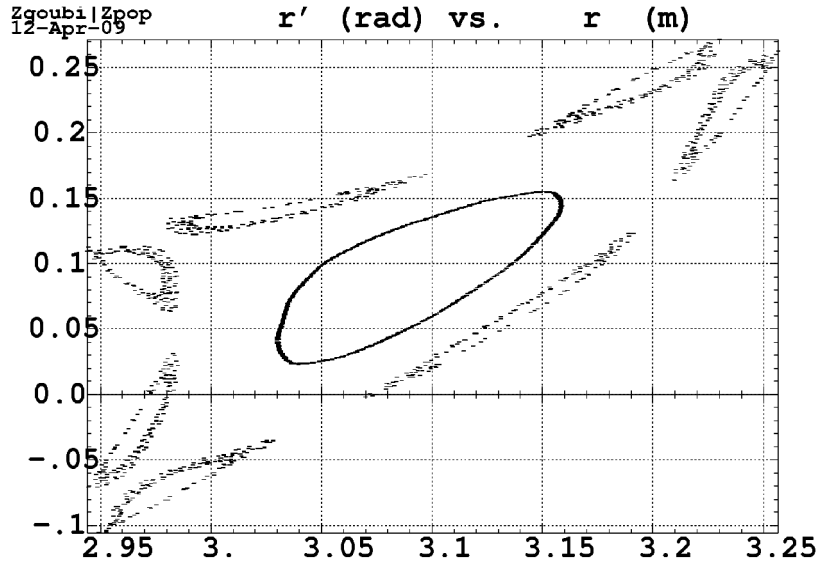
<X>. Sig X. X min. max : 308.4



- RACCAM prototype magnet (3/3)
- Tracking in magnetic field maps, dynamic acceptance

- Very good symplecticity at extreme X and Z excursions...

- Large DA's are obtained, consistent with design specifications



\* Data generated by searchCO

Min-max. Hor : -3.30113E-02 3.36319E-02;  
Part# 1-40000 (\*) ; Lmnt# 1; pass#

Table 4: Dynamic apertures.

$R$ region (mm)	E (MeV)	From measured field maps		From OPERA 3D field maps	
		$A_x$	$A_z$	$A_x$	$A_z$
<i>Maximal current</i>		$(B_0 = 1.933 T)$		$(B_0 = 1.7 T)$	
2900	38.0	1800	900	2500	900
3125	86.5	2600	800	2900	1000
3300	156	5500	1500	3500	950
$80\%I_{max}$		$(B_0 = 1.606 T)$			
2900	15	4000	1500		
3125	35.9	1500	1200		
3300	67.3	1700	1400		
$60\%I_{max}$		$(B_0 = 1.227 T)$			
2900	15	1200	900		
3125	35.9	1200	900		
3300	67.3	2200	900		